



Next generation of high quality and robust humanoid robot

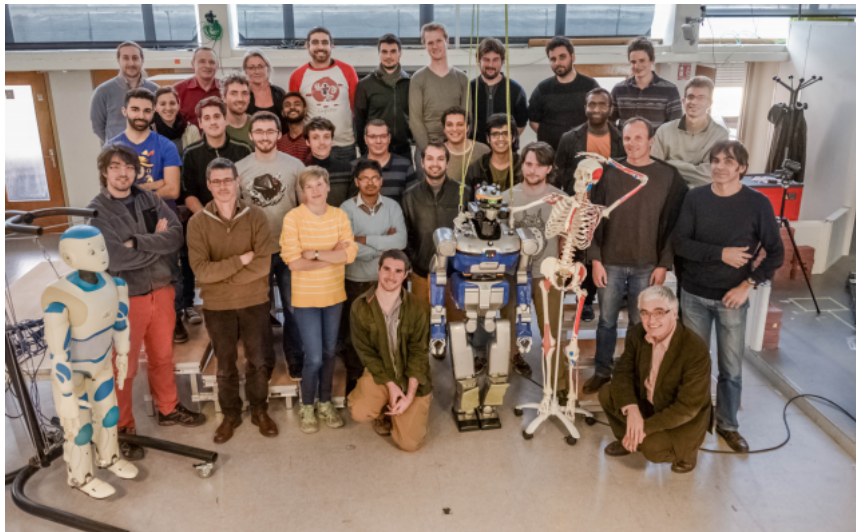
German-French Winter School on Humanoid and Legged Robots

Dec. 5th-7th 2016, LAAS, Toulouse

O. Stasse, M. Naveau, J.
Carpentier, N. Mansard

- 1 Motivations
- 2 Control architecture
- 3 A new robot
- 4 Conclusions & Perspectives

Acknowledgements



Humanoid Robotics: Where are we ?

Boston Dynamics: Everything is solved ?



Not really



What lesson can we learn ?

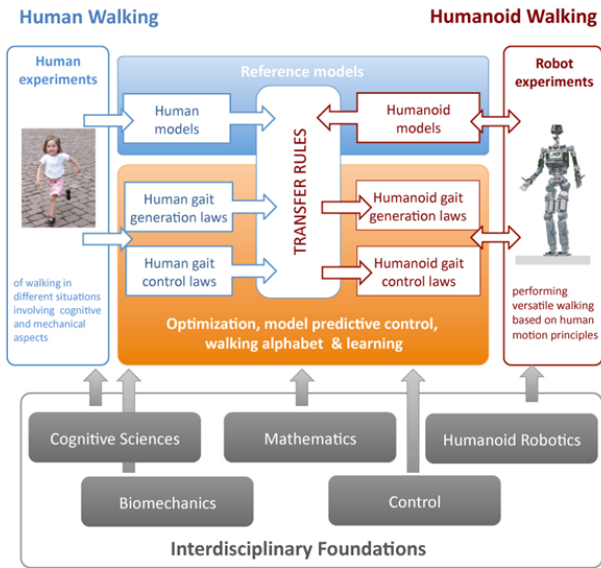
- Robots need to be more autonomous:
 - for safety
 - for efficiency
- Humanoid robots will fall →
 - works need to be done on mechanical conception and control.
- Excellence in mechatronics integration:
 - control, perception, mechanics and software.
- New robots are more powerful and less anthropomorph.
- Repeatability.
- Cobotic:
 - tactile perception, skin
 - torque control

Feedback from DRC experience

- Robots need to be more autonomous: **Motion generation**
 - for safety
 - for efficiency
- Humanoid robots will fall → **Stiff robot requires a high budget**
~~works need to be done on mechanical conception and control.~~
- Excellence in mechatronics integration:
 - control**, perception, mechanics and **software**.
- New robots are more powerful and less anthropomorph.
- **Repeatability.** **Yes but closer to the human fonctionnal performances**
- Cobotic:
 - tactile perception, skin
 - torque control**

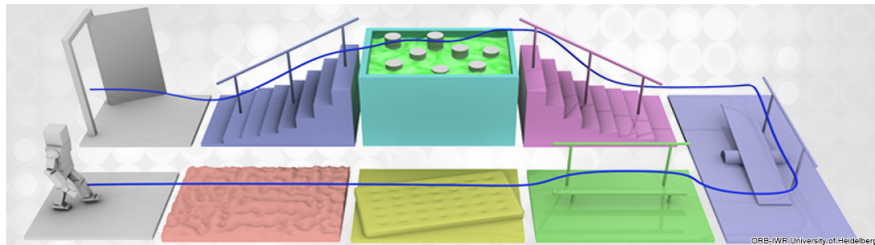
- Robots need to be more autonomous: **Motion generation**
 - for safety
 - for efficiency
- Humanoid robots will fall → **Compliant robot requires an advanced control**
 - works need to be done on mechanical conception and control.
- Excellence in mechatronics integration:
 - control**, perception, mechanics and **software**.
- New robots are more powerful and less anthropomorph.
- **Repeatability.** **Yes but closer to the human fonctionnal performances**
- Cobotic:
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The Koroibot Project

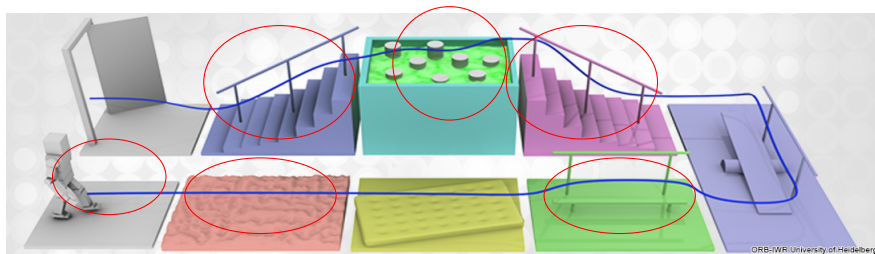


- Partners
 - Univ. Heidelberg (GE),
 - CNRS (FR),
 - KIT (GE),
 - IIT (IT),
 - TUDelft (NE),
 - Weizmann Institute (IS),
 - Univ. Tübingen (GE)
- Improving the humanoid technologies on each platform





- Each team build its own setup
- Performance indicator measurements (PIM) at the beginning of the project
- Implementation and improvement of the walking strategies
- PIM at the end of the project

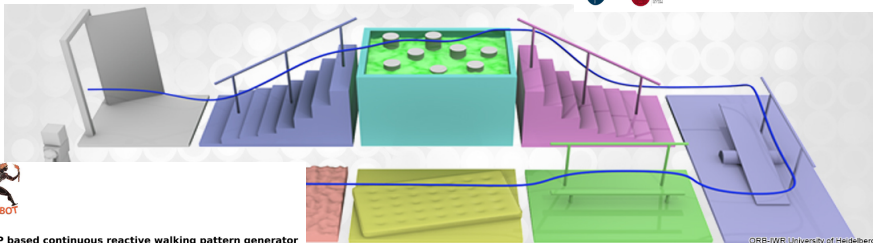


- The Koroibot challenge
 - Flat floor
 - Uneven ground
 - Going up and down stairs
 - Stepping stones
 - Beam



SQL based continuous reactive walking pattern generator

M. Naveau, M. Kudruss, O. Stasse, C. Kirches, K. Mombaur, P. Soueres
Gepetto TEAM, LAAS-CNRS, Toulouse, France
Interdisciplinary Center for Scientific Computing, Heidelberg University,
Heidelberg, Germany



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■ Kinematics constraints with stairs

Complex interaction between the CoM trajectory

Average stair case height: 22cm

Need for longer legs

■ Powerful actuators

High torque, high velocity

Reactive motion

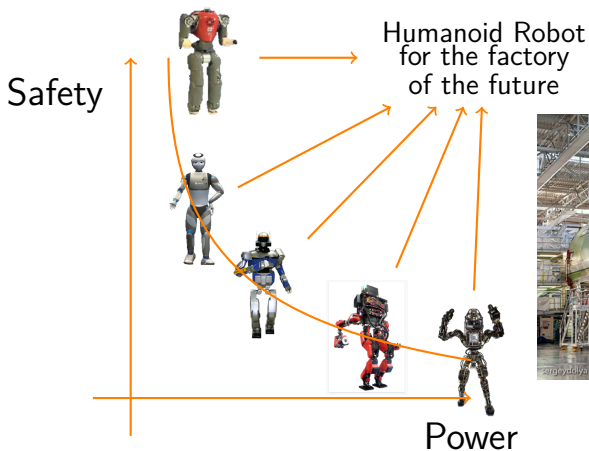
Manipulating high load

■ Battery

■ Repeatability

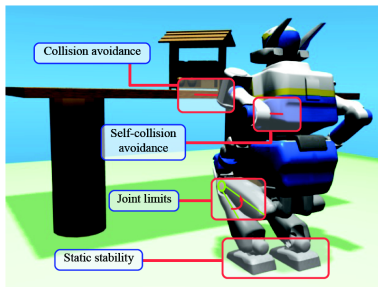
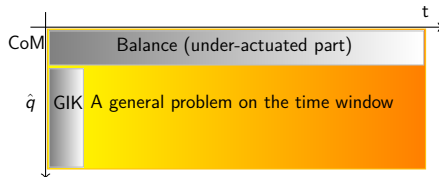
■ High computational power

High performance humanoid robot

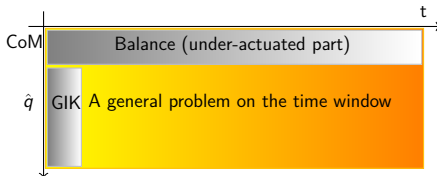


Motion generation

$$\left\{ \begin{array}{l} \min f(\mathbf{u}(t), \mathbf{v}(t)) \\ \mathbf{g}(\mathbf{u}(t), \mathbf{v}(t)) < 0 \\ \mathbf{h}(\mathbf{u}(t), \mathbf{v}(t)) = 0 \end{array} \right.$$



$$\left\{ \begin{array}{l} \min f(\mathbf{u}(t), \mathbf{v}(t)) \\ \mathbf{g}(\mathbf{u}(t), \mathbf{v}(t)) < 0 \\ \mathbf{h}(\mathbf{u}(t), \mathbf{v}(t)) = 0 \end{array} \right.$$



■ Planning and control solve the same problem

Planning is looking for a global feasible solution

Control is looking for on online sensor grounded local solution

■ Planning is too long when simulating the control

■ Control can fails

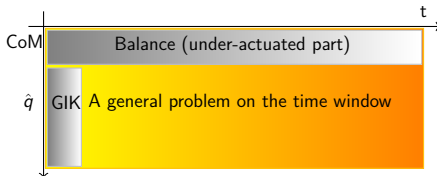
Local minima leading to an incomplete behavior

Mismatch between the control and the hardware

■ Accessibility set [Majumdar, ICRA Best Paper Award 2013]

Motion generation

$$\left\{ \begin{array}{l} \min f(\mathbf{u}(t), \mathbf{v}(t)) \\ \mathbf{g}(\mathbf{u}(t), \mathbf{v}(t)) < 0 \\ \mathbf{h}(\mathbf{u}(t), \mathbf{v}(t)) = 0 \end{array} \right.$$



$$\left\{ \begin{array}{l} \mathbf{M}_1(q)\ddot{q} + \mathbf{N}_1(q, \dot{q})\dot{q} + \mathbf{G}_1(q) = \mathbf{T}_1(q)\mathbf{u} + \mathbf{C}_1^\top(q)\lambda \\ \mathbf{M}_2(q)\ddot{q} + \mathbf{N}_2(q, \dot{q})\dot{q} + \mathbf{G}_2(q) = \mathbf{C}_2^\top(q)\lambda \\ f(\lambda) \in \mathcal{F} \\ \mathbf{u}_{min} < \mathbf{u} < \mathbf{u}_{max} \\ \hat{q}_{min} < \hat{q} < \hat{q}_{max} \\ d(\mathcal{B}_i(q), \mathcal{B}_j(q)) > \epsilon, \forall p(i, j) \in \mathcal{P} \\ \ddot{\mathbf{e}}_i = \dot{\mathbf{J}}_i(q)\dot{q} + \mathbf{J}_i(q)\ddot{q} \end{array} \right.$$

Actuated dynamics of the robot

Underactuated dynamics of the robot

General balance criteria

Torques limits

Joints limits

(self-)collisions

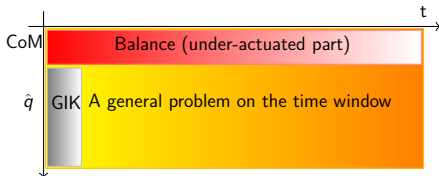
Tasks

Motion generation

Pattern generator

Focus on the underactuated part

Model predictive control



Simplifying the walking problem to control only the CoM reference

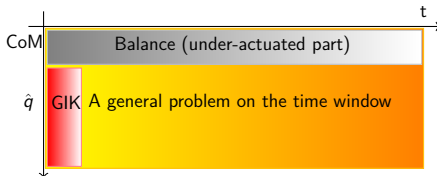
$$\left\{ \begin{array}{l} \mathbf{M}_1(q)\ddot{q} + \mathbf{N}_1(q, \dot{q})\dot{q} + \mathbf{G}_1(q) = \mathbf{T}_1(q)\mathbf{u} + \mathbf{C}_1^\top(q)\lambda \quad \text{Actuated dynamics of the robot} \\ \mathbf{M}_2(q)\ddot{q} + \mathbf{N}_2(q, \dot{q})\dot{q} + \mathbf{G}_2(q) = \mathbf{C}_2^\top(q)\lambda \quad \text{Underactuated dynamics of the robot} \\ f(\lambda) \in \mathcal{F} \quad \text{General balance criteria} \\ \mathbf{u}_{min} < \mathbf{u} < \mathbf{u}_{max} \quad \text{Torques limits} \\ \hat{q}_{min} < \hat{q} < \hat{q}_{max} \quad \text{Joints limits} \\ d(\mathcal{B}_i(\mathbf{q}), \mathcal{B}_j(\mathbf{q})) > \epsilon, \forall p(i, j) \in \mathcal{P} \quad \text{(self-)collisions} \\ \ddot{\mathbf{e}}_i = \dot{\mathbf{J}}_i(q)\dot{q} + \mathbf{J}_i(q)\ddot{q} \quad \text{Tasks} \end{array} \right.$$

Inverse dynamics

Focus on the inertia matrix

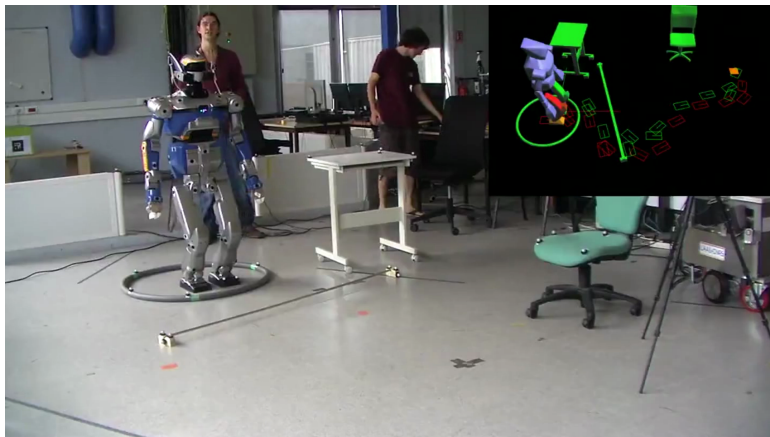
Forces

Complete constraints



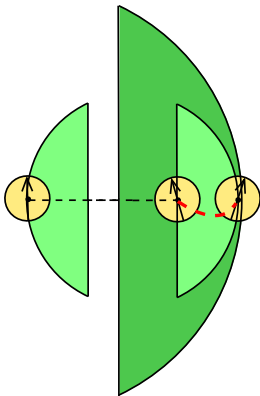
$$\begin{cases}
 \mathbf{M}_1(q)\ddot{q} + \mathbf{N}_1(q, \dot{q})\dot{q} + \mathbf{G}_1(q) = \mathbf{T}_1(q)\mathbf{u} + \mathbf{C}_1^\top(q)\lambda & \text{Actuated dynamics of the robot} \\
 \mathbf{M}_2(q)\ddot{q} + \mathbf{N}_2(q, \dot{q})\dot{q} + \mathbf{G}_2(q) = \mathbf{C}_2^\top(q)\lambda & \text{Underactuated dynamics of the robot} \\
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 d(\mathcal{B}_i(\mathbf{q}), \mathcal{B}_j(\mathbf{q})) > \epsilon, \forall p(i, j) \in \mathcal{P} & \text{(self-)collisions} \\
 \ddot{\mathbf{e}}_i = \dot{\mathbf{J}}_i(q)\dot{q} + \mathbf{J}_i(q)\ddot{q} & \text{Tasks}
 \end{cases}$$

[Perrin, TRO,2012]

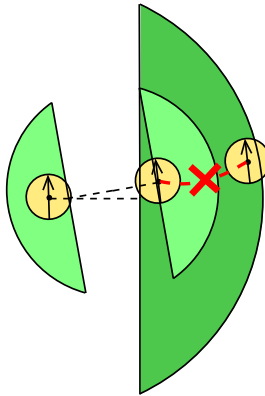


Description of the feasible foot-steps

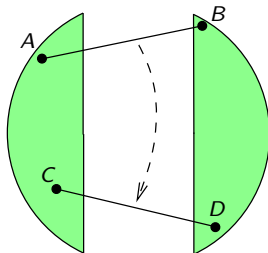
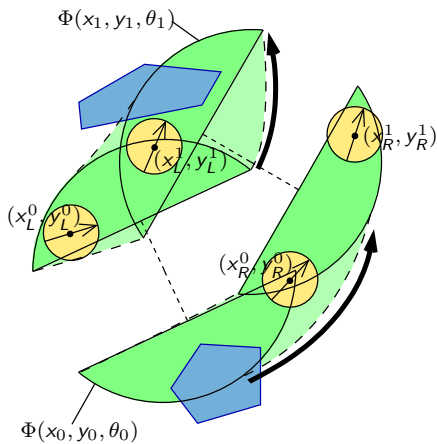
feasible steps



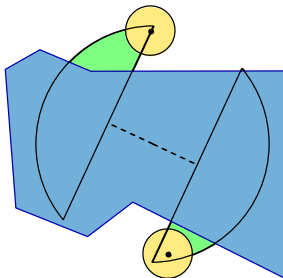
unfeasible steps



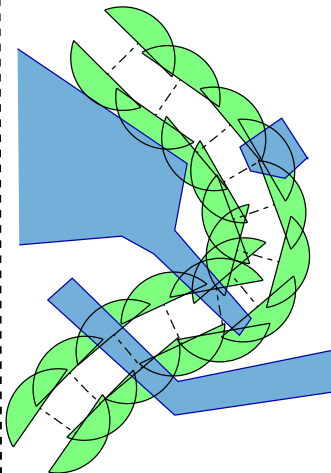
Weak collision



a weakly collision-free
configuration of Φ



a continuous weakly
collision-free path



[Perrin, TRO, 2017]

A continuous approach to legged locomotion planning

N. Perrin(1), C. Ott(2), J. Engelsberger(2),
O. Stasse(3), F. Lamiraux(3)

- (1) Department of Advanced Robotics, Istituto Italiano di Tecnologia
- (2) Institute of Robotics and Mechatronics, German Aerospace Center (DLR)
- (3) CNRS/LAAS

Multimedia Extension 1

International Journal of Robotics Research

[Kudruss, Humanoids 2015]
[Carpentier, ICRA 2016]

Previous work
[Luo, ICRA 2014]
[Vaillant, Humanoids 2014]
[Noda, ICRA 2014]
[Hirukawa, ICRA 2007]

$$\left\{ \begin{array}{l} m(\ddot{\mathbf{c}} - \mathbf{g}) = \sum_{i=1}^{N_c} \mathbf{f}_i \\ m\mathbf{c}_{\times}(\ddot{\mathbf{c}} - \mathbf{g}) = \sum_{i=1}^{N_c} \mathbf{p}_{i \times} \mathbf{f}_i \end{array} \right.$$

[M. Naveau, RA-L 2016]

Optimization problem solved:

$$\min_{\mathbf{U}_k} \sum_{i=0}^{j=4} w_i J_i(\mathbf{U}_k)$$

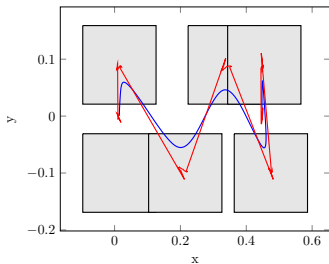
$$\mathbf{X}_{k+1} = \mathbf{A}\mathbf{X}_k + \mathbf{C}\mathbf{U}_k$$

$$\underline{\mathbf{P}} < \mathbf{P}\mathbf{U}_k < \overline{\mathbf{P}}$$

with $\mathbf{U}_k = \left(\ddot{\mathbf{x}}_k \ \mathbf{x}_k^f \ \ddot{\mathbf{y}}_k \ \mathbf{y}_k^f \right)^T$

$J_1(\mathbf{U}_k)$ is the linear velocity tracking

$$J_1(\mathbf{U}_k) = \|\dot{\mathbf{x}}_k - \mathbf{x}_k^{ref}\|_2^2 + \|\dot{\mathbf{y}}_k - \mathbf{y}_k^{ref}\|_2^2$$



[M. Naveau, RA-L 2016]

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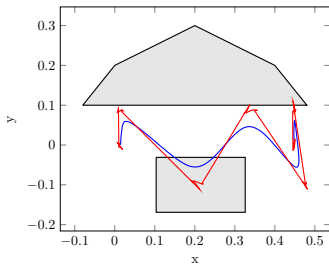
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$$\underline{\mathbf{P}} < \mathbf{P}\mathbf{U}_k < \overline{\mathbf{P}}$$

with $\mathbf{U}_k = \begin{pmatrix} \ddot{\mathbf{X}}_k & \mathbf{x}_k^f & \ddot{\mathbf{Y}}_k & \mathbf{y}_k^f \end{pmatrix}^T$

$J_2(\mathbf{U}_k)$ is the control norm

$$J_2(\mathbf{U}_k) = \|\ddot{\mathbf{X}}_k\|_2^2 + \|\ddot{\mathbf{Y}}_k\|_2^2$$



[M. Naveau, RA-L 2016]

Optimization problem solved:

$$\min_{\mathbf{U}_k} \sum_{i=0}^{j=4} w_i J_i(\mathbf{U}_k)$$

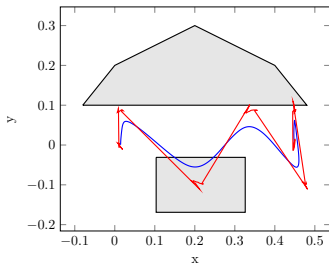
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with $\mathbf{U}_k = \left(\ddot{\mathbf{X}}_k \ \mathbf{X}_k^f \ \ddot{\mathbf{Y}}_k \ \mathbf{Y}_k^f \right)^T$

$J_3(\mathbf{U}_k)$ is the distance of the CoP to the most stable trajectory

$$J_3(\mathbf{U}_k) = \|\mathbf{X}_k^f - CoP_{k+1}^x\|_2^2 + \|\mathbf{Y}_{k+1}^f - CoP_{k+1}^y\|_2^2$$



[M. Naveau, RA-L 2016]

Optimization problem solved:

$$\min_{\mathbf{U}_k} \sum_{i=0}^{j=4} w_i J_i(\mathbf{U}_k)$$

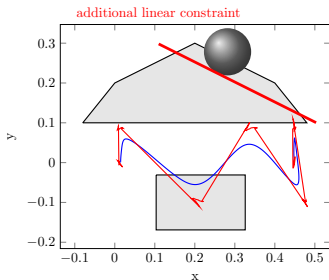
$$\mathbf{X}_{k+1} = \mathbf{A}\mathbf{X}_k + \mathbf{C}\mathbf{U}_k$$

$$\underline{\mathbf{P}} < \mathbf{P}(\mathbf{U}_k)\mathbf{U}_k < \bar{\mathbf{P}}$$

with $\mathbf{U}_k = \left(\ddot{\mathbf{x}}_k \ \mathbf{x}_k^f \ \ddot{\mathbf{y}}_k \ \mathbf{y}_k^f \ \theta_k^f \right)^T$

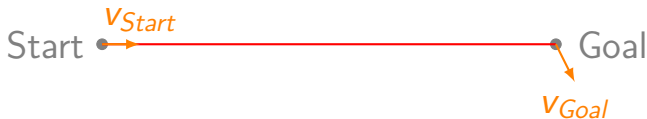
$J_4(\mathbf{U}_k)$ is the angular velocity tracking

$$J_4(\mathbf{U}_k) = \|\theta_k - \int \theta_k^{ref} dt\|_2^2$$



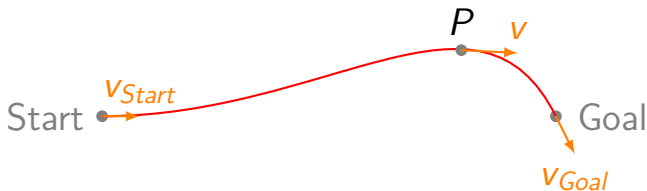
Human moves according to the two-third power-law

$$v = \gamma \kappa^\beta$$



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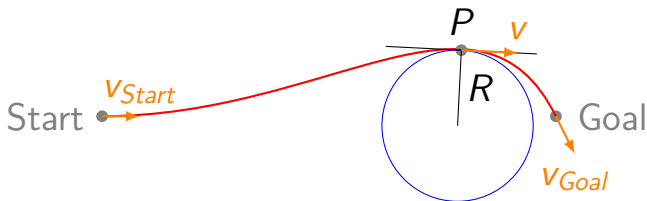
$$v = \gamma \kappa^\beta$$



Human moves according to the two-third power-law

$$v = \gamma \kappa^\beta$$

$$\kappa = \frac{1}{R}$$



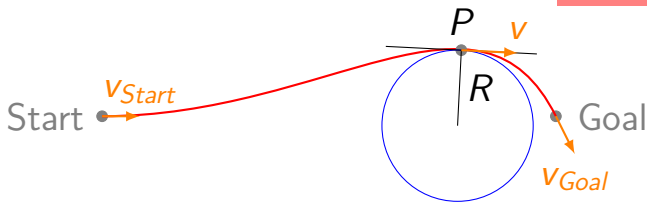
Human moves according to the two-third power-law

$$v = \gamma \kappa^\beta$$

$$\beta = -1/3$$

$$\beta = 0$$

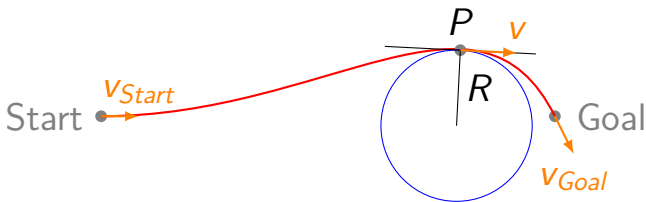
$$\beta = 1/3$$



Human moves according to the two-third power-law

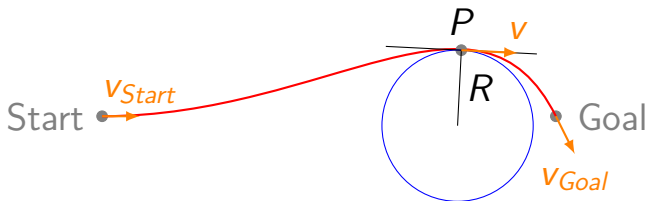
$$v = \gamma \kappa^\beta$$

γ such that time
from Start to Goal
is always the same
 $\forall \beta$



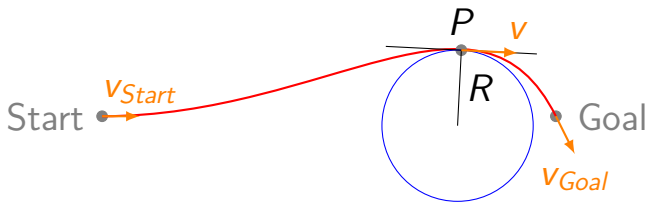
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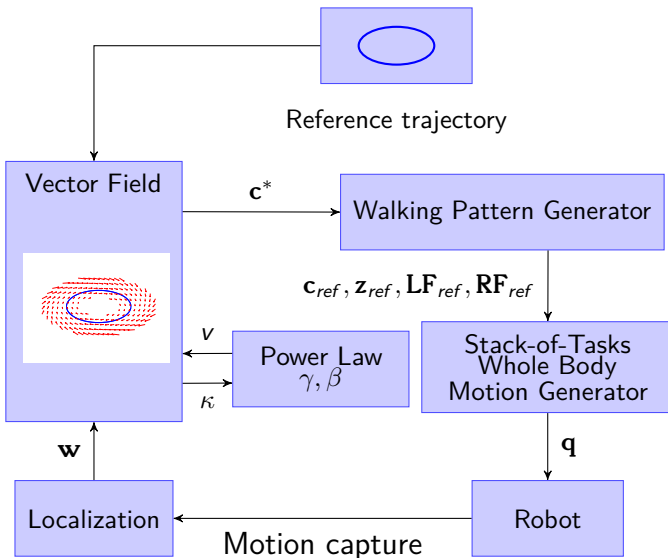
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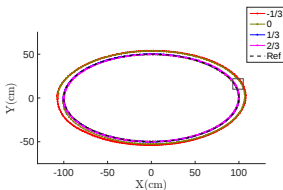


Can humanoid robots benefit from following the same principle ?

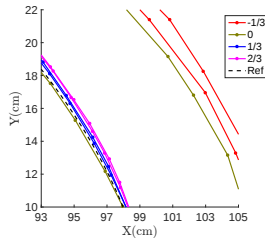
Approach



- Simulations on OpenHRP.
- Power law patterns are reproduced (in simulation and experiment).
- Drift correction: better for $\beta = 1/3$ in simulation, the same on the robot.

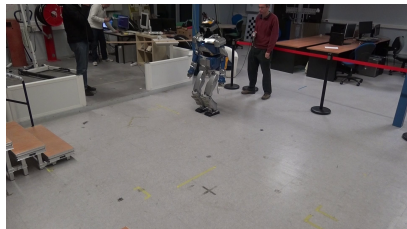


(a)



(b)

- Increase in β exponent decreases duration.
- The amount of correction is far smaller with $\beta = 1/3$.



β	-1/3	0.0	1/3	2/3
Norm	1.416	0.950	0.642	1.124
Orientation	76.83	89.598	60.453	77.217

A replacement to HRP-2

- Pros
 - Highly reliable
 - Very robust (not able to jump ...)
 - Understanding of the software architecture
- Cons
 - Closed access to the low level part
 - DC - Brush motors (unable to achieve fast speed- high torque)
 - Low software support 10.04 LTS ...



- Should hold a 10Kg tool at stretch arm
- Reaction to push recovery (need high speed - high torque)
- Frequency of control at 1KHz for OSID
- Low level access needed
- Skin ?



The robots around

- ATLAS - Hydraulic actuation - 2 M\$ - Not available
- Valkyrie - SEA - 2.7 M\$ - Need a contract agreement with NASA (Edinburgh)
- TORO - Not available - Maybe one day through Kuka
- Proxi SRI - 97 % transmission efficiency - 8 hours continuous walking - 2.2 kWh/19 Kg
- REEM-C - Position control AC motor - HD - 300 k euros



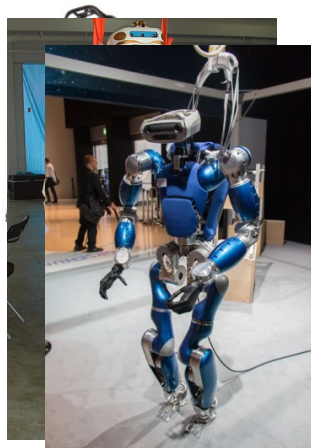
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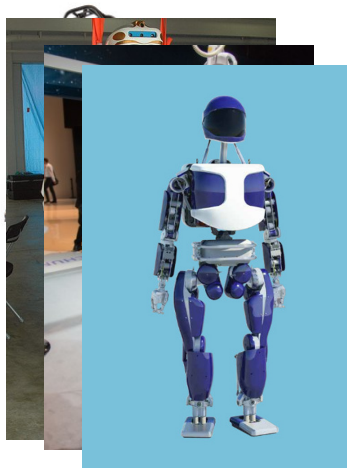
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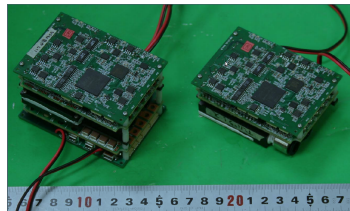
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- Pros
 - AC motors - 700 W
 - Xenomai - Ubuntu 12.04 LTS
 - i7 2.1GHz
 - No passivity (facilitate the control)
 - Hand 1Kg payload
- Cons
 - Problem on the hips (too close)
 - No passivity (Increase drift)
 - Low speed - High torque



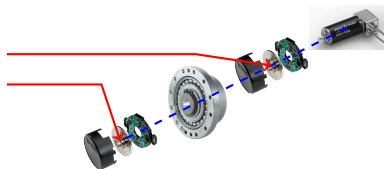
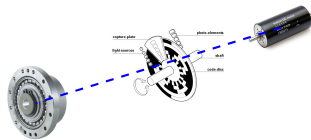
- EM field is created by the commutation of the current
- Lowered by the position of the control board w.r.t the motor
- Control frequency
- Cabling (distributed on REEM-C)



- One CAN network for each limb
- Possible change: EtherCAT
- Access to the PID of the low level board
- Current, Velocity, Position loops.



- Encoder before and after the harmonic drive
- Magnetic encoder 16 bits (65536 points)
- Magnetic encoder 18 bits on Hip-Yaw and Knee-Pitch
- Modification of the motor windings to cope with our needs

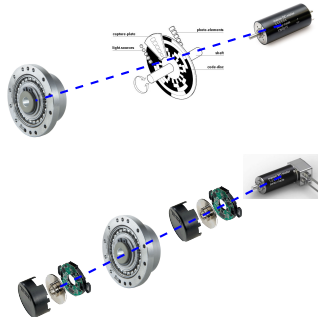


- Legs

- Current loop: 10KHz
- Velocity loop: 2.5KHz
- Position loop: 1KHz

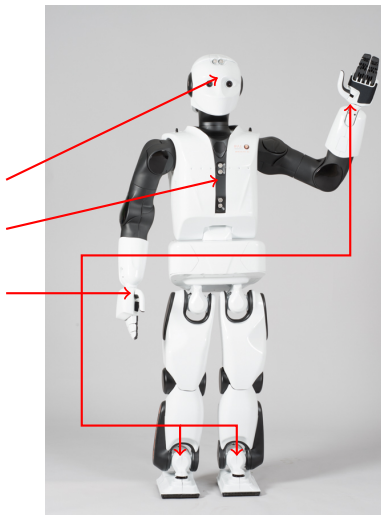
- Arms

- Current loop: 10KHz
- Velocity loop: 1KHz
- Position loop: 500Hz



EtherCAT would allow 1KHz for the whole robot.

- Cameras
- Accelerometer - Gyrometer
- Force sensors
2 in the feet - 2 in the wrists
- Ultra-sound sensors



Pyrène TALOS from PAL-Robotics

1.75 m

100 kg

RGB-D Camera

Accelerometer - Gyrometer

Force sensors

2 in the feet - 2 in the wrists

Torque sensors in all the actuators

(apart wrist and foot)



EtherCAT: 1KHz control loop

2 i7 hyperthreaded

Cooling system of the CPUs

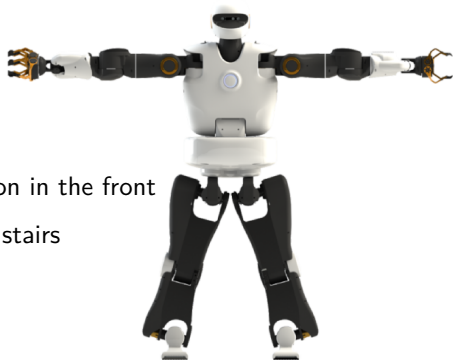
7 DoFs per arm

Kinematics customized for manipulation in the front

Legs are 10cm higher than HRP-2 for stairs

Torque: up to 300 *N* 56 *RPM*

HRP-2: 168 *N*, 38 *RPM*



- We are reaching the limits of our actuators
- They need to be taken into account in our control architecture
- New mechanical design are needed
- Reaching the fonctionnal level of human may involve
robot looking less than human